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**COURSE NAME: A CONCEPTUAL AND HISTORICAL REVIEW OF GREEK MATHEMATICS I**

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# A Conceptual and Historical Review of Greek Mathematics

Greek mathematics, a foundational pillar in the history of mathematics, has greatly influenced the development of mathematical ideas and practices. This evaluation explores the conceptual frameworks and historical progression of Greek mathematics as it highlight key contributions, figures and the philosophical underpinnings that shaped this extraordinary era.

# Origins and Early Influences

The roots of Greek mathematics can be drawn back to the early civilizations of Mesopotamia and Egypt. These civilizations delivered the Greeks with practical mathematical knowledge, such as arithmetic and geometry, primarily for organizational and architectural purposes (Fowler, 1999). The Greeks, nevertheless, transformed these practical techniques into a more intellectual and theoretical discipline.

Greek mathematics started to take form during the Archaic period (circa 800-500 BCE) with the impact of pre-Socratic philosophers. Thales of Miletus is often recognized as the first Greek mathematician. He introduced deductive thinking to geometry, formulating theorems and proving them systematically (Heath, 1921). Thales' helps laid the groundwork for a logical and challenging approach to mathematics, setting the stage for future advancements.

# Pythagorean Contributions

The Pythagorean school, founded by Pythagoras around 570 BCE, played a crucial role in the development of Greek mathematics. Pythagoras and his followers perceived mathematics not merely as a practical tool but as a means to comprehend the universe's fundamental nature. This philosophical viewpoint led to significant mathematical discoveries, most remarkably the Pythagorean theorem (Burkert, 1972).

The Pythagoreans discovered numerical relationships and the idea of mathematical harmony, believing that numbers and their properties were the principle of all things. They studied the properties of integers, proportions, and geometric figures, contributed to number theory and geometry (Kirk & Raven, 1957). Their work on the properties of numbers, such as perfect numbers and agreeable pairs, showcased their deep interest in numerical relationships.

# The Classical Period and Euclidean Geometry

The Classical period (circa 500-323 BCE) saw the aspect of more refined mathematical frameworks, with Athens becoming the center of intelligent activity. The most influential mathematician of this era was Euclid, whose work "Elements" became the definitive text on geometry for centuries (Euclid, 1956). Euclid's "Elements" structured the knowledge of geometry into a coherent and logical structure, introducing axioms, definitions, and claims that it forms the basis for geometric proofs.

Euclid's contributions extended beyond geometry. He also discovered number theory, proportion, and the theory of mathematical accuracy (Mueller, 1981). The coherent structure of "Elements" influenced not only mathematics but also the development of logical reasoning in other fields, including philosophy and science.

# Archimedes and Mathematical Innovation

The Hellenistic period (323-31 BCE) was marked by significant mathematical innovation, largely driven by the work of Archimedes. Archimedes of Syracuse made groundbreaking contributions to geometry, calculus, and mechanics (Heath, 1897). His method of exhaustion, an early form of integral calculus, allowed him to calculate areas and volumes with remarkable precision.

Archimedes' work on the geometry of curves, such as the spiral named after him, and his formulation of the principle of buoyancy, exemplified his ability to blend theoretical mathematics with practical applications (Dijksterhuis, 1987). His treatises, including "On the Sphere and Cylinder" and "On Floating Bodies," demonstrated his profound understanding of geometry and mechanics.

# The Influence of Platonic and Aristotelian Philosophy

Greek mathematics was deeply intertwined with the philosophical traditions of Plato and Aristotle. Plato's Academy emphasized the importance of mathematics in understanding the eternal and unchanging truths of the universe (Klein, 1968). He believed that mathematical forms, such as the Platonic solids, represented the underlying reality of the physical world.

Aristotle, on the other hand, contributed to the philosophy of mathematics by addressing the nature of mathematical objects and the foundations of mathematical knowledge (Lear, 1982). His work on logic and categorization influenced the development of mathematical reasoning and the structure of mathematical proofs.

# The Decline and Legacy of Greek Mathematics

The weakening of Greek mathematics began in the late Hellenistic period, with the rise of the Roman Empire and the swing of intellectual focus to practical engineering and administration. However, the gift of Greek mathematics endured through the preservation and spread of Greek texts by Islamic scholars during the Middle Ages. These scholars explained and extended upon Greek mathematical works, reintroducing them to Europe during the Renaissance.

Greek mathematics set the foundation for many modern mathematical disciplines. The importance on coherent objectivity, deductive reasoning, and the development of abstract concepts in geometry and number theory influenced the work of later mathematicians such as Isaac Newton, Carl Friedrich Gauss, and Henri Poincaré (Boyer & Merzbach, 2011).

# Conclusion

Greek mathematics represents a remarkable era of intellectual success, characterized by the transition from practical arithmetic to abstract and theoretical mathematical thought. The contributions of Greek mathematicians, from Thales and Pythagoras to Euclid and Archimedes, conventional principles of deductive reasoning and mathematical rigor that continue to support modern mathematics. The philosophical incorporation of mathematics with the wider quest for knowledge and understanding of the universe further emphasizes the enduring significance of Greek mathematics in the history of human thought.

References

Boyer, C. B., & Merzbach, U. C. (2011). A History of Mathematics. John Wiley & Sons.Retrieved <https://atiekubaidillah.files.wordpress.com/2013/03/a-history-of-mathematics-3rded.PDF>

Burkert, W. (1972). Lore and Science in Ancient Pythagoreanism. Harvard University Press. Retrieved from: <https://philocyclevl.wordpress.com/wp-content/uploads/2016/10/walter-burkert-edwin-l-minar-jr-lore-and-science-in-ancient-pythagoreanism-harvard-university-press-1972.pdf>

Dijksterhuis, E. J. (1987). Archimedes. Princeton University Press: Retrieved from:https://press.princeton.edu/books/hardcover/9780691636290/Archimedes

Fowler, D. H. (1999). The Mathematics of Plato's Academy: A New Reconstruction. Oxford University Press. Retrieved from: <https://global.oup.com/academic/product/the-mathematics-of-platos-academy-9780198502586>

Heath, T. L. (1897). The Works of Euclid. (1956). The Thirteen Books of Euclid's Elements. Dover Publications: Retrieved from: <https://classicalliberalarts.com/resources/EUCLID_ENGLISH_1.pdf>

Archimedes. Cambridge University Press. Retrieved from: <https://www.cambridge.org/core/books/works-of-archimedes/E5F35917BA320E2B40696056CB6ED610>

Heath, T. L. (1921). A History of Greek Mathematics. Clarendon Press.Retrieved from: <https://www.wilbourhall.org/pdfs/heath/HeathVolI.pdf>

Kirk, G. S., & Raven, J. E. (1957). The Presocratic Philosophers. Cambridge Retrieved from:https://philocyclevl.files.wordpress.com/2016/10/kirk-g-s-raven-j-e-and-schofield-m-1983-the-presocratic-philosophers-2nd-ed-cambridge-cambridge-university-press.pdf

Klein, J. (1968). Greek Mathematical Thought and the Origin of Algebra. MIT Press. Retrieved from: <https://mitpress.mit.edu/9780262610223/greek-mathematical-thought-and-the-origin-of-algebra/>

Lear, J. (1982). Aristotle and Logical Theory. Cambridge University Press. Retrieved from: <https://philpapers.org/rec/LEAAAL-2>

Mueller, I. (1981). Philosophy of Mathematics and Deductive Structure in Euclid's Elements. MIT Press. Retrieved from: <https://archive.org/details/philosophyofmath0000muel/page/n5/mode/2up>